Alg. 2 Warm Up # 3-4

New team # on WU!

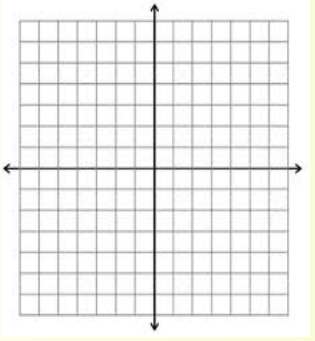
1. Describe the transformations of the parent graph to:

a) $y = -6(x + 5)^2 - 4$

b) $y = \frac{2}{7}\sqrt{x - 3} + 2$

2. Find the inverse and graph both on the same axes.

$y = \sqrt{x - 1} + 2$



Preview

HW Questions:

5-96. Last night, while on patrol, Agent 008 came upon a spaceship! He hid behind a tree and watched a group of little space creatures carry all sorts of equipment out of the ship. But suddenly, he sneezed. The creatures jumped back into their ship and sped off into the night. 008 noticed that they had dropped something, so he went to pick it up. It was a calculator! What a great find. He noticed that it had a LOG button, but he noticed something interesting: log 10 did not equal 1! With this calculator, $\log 10 \approx 0.926628408$. He tried some more: $\log 100 \approx 1.853256816$ and $\log 1000 \approx 2.779885224$.

12 a. What base do the space creatures work in? Explain how you can tell.

b. How many fingers do you think the space creatures have?

exp

$\log_{10} 10 = 1$

$\log_b a$ = exponent

5-97. Copy these equations and solve for x. You should be able to do all these problems without a calculator.

$x^1 = 25$ a. $\log_x(25) = 1$ b. $x = \log_3(9)$ c. $3 = \log_7(x)$

d. $\log_3(x) = \frac{1}{2}$ e. $3 = \log_x(27)$ f. $\log_{10}(10000) = x$

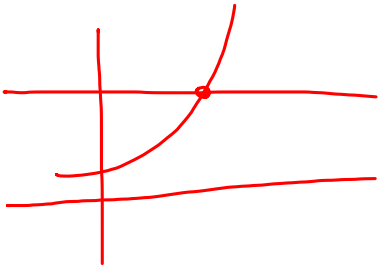
$3^{1/2} = x$, $x = \sqrt{3}$ $x^3 = 27$, $x = 3$ $10^x = 10{,}000$

5-98. Is log(0.3) greater than or less than one? Justify your answer.

Base 10 $\longrightarrow$ $10^? = 0.3$

5-99. Solve $1.04^x = 2$. Your answer should be accurate to three decimal places.

Graph $y = 1.04^x$, $y = 2$ } Find the intersection of the graphs.



2nd Calc TRACE

5-100. This problem is a checkpoint for factoring quadratics. It will be referred to as Checkpoint 5B.

Factor each expression below.

a. $4x^2 - 1$ b. $4x^2 + 4x + 1$

c. $2y^2 + 5y + 2$ d. $3m^2 - 5m - 2$

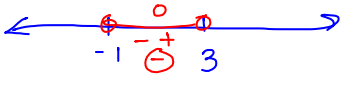
$(2x - 1)(2x + 1)$

5-101. Solve the following inequalities.

a. $x^2 - 2x < 3$ b. $3x - x^2 \le 2$

$x^2 - 2x - 3 < 0$

$(x - 3)(x + 1) < 0$



$-1 < x < 3$

5-102. Is it true that $\log_3(2) = \log_2(3)$? Justify your answer.

$x = y$?

Let $x = \log_3 2$

Let $y = \log_2 3$

$3^x = 2$ $\qquad$ $2^y = 3$

$3^0 < 3^x < 3^1$ $\qquad$ $2^1 < 2^y < 2^2$

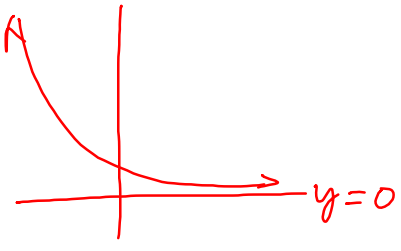
$1 < 2 < 3$ $\qquad$ $2 < 3 < 4$

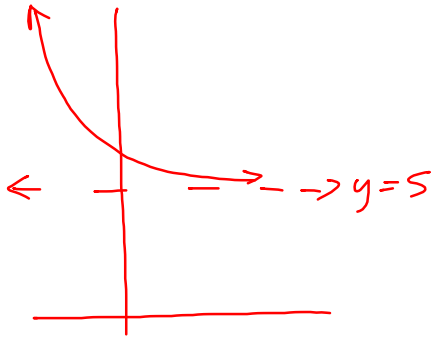
5-103. Consider the general form of an exponential function: $y = ab^x$.

a. Solve for a. $\frac{y}{b^x} = a$

b. Solve for b. $\frac{y}{a} = b^x$ $\qquad$ $\sqrt[x]{\frac{y}{a}} = b$

5-104. Make a sketch of a graph that is a decreasing exponential function with the x-axis as the horizontal asymptote. Then make a similar sketch, but this time with the line $y = 5$ as the horizontal asymptote.



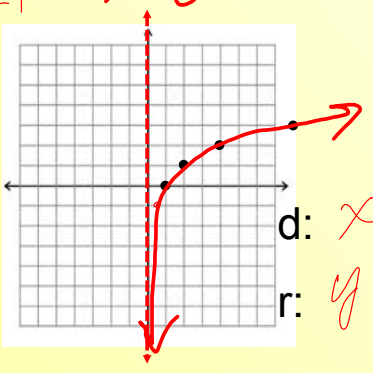


Yesterday's CP's: Yellow, 5.2.4 (revised)

#3 $y = \log_2 x$ (exp) Same as: $2^y = x$

x	y
1	0
2	1
4	2
8	3
½	-1

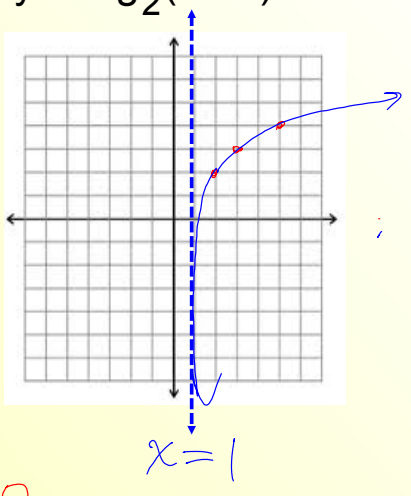
x-int → (2, 2), (3, 3), (5, 4)

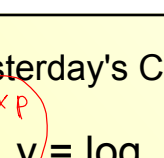


d: $x > 0$

r: $y = \mathbb{R}$

#4 $y = \log_2(x - 1) + 2$ (x+1, up 2)





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MATH NOTES

Logarithms and Their Notation

A **logarithm** (called a "log" for short) is an exponent. An expression in logarithmic form, such as $\log_2(32)$, is read, *"the log, base 2, of 32."* To evaluate log expressions, think of the exponent: $\log_2(32) = 5$, because the exponent needed for base 2 to become 32 is 5.

An equation in logarithmic form is equivalent to another equation in exponential form, as shown at right. This conversion helps show why (based on an $x \to y$ interchange) $y = \log_b(x)$ and $y = b^x$ are inverse functions.

$y = \log_b(x)$

$b^y = x$

$y = \log_2 x$ ← Equivalent → $2^y = x$

Inverse:

$x = \log_2 y$

$2^x = y$ ← Equivalent

Classwork Week 3

Warm up on top
CP's: 5- #55 ---> 58 (Pink)
CP's: 5- #68 ---> 71 (Blue)
CP's: 5.2.3 (Salmon)
CP's: 5.2.4 (Yellow)

HW: 5 - CI

#126 ---> 134

Chapter 5 test Tuesday includes:

Absolute Value Inequalities
Quadratic Inequalities
Factoring
Exponents
Inverses
Basic Logarithms